Check that two measurements of the same observable, with infinitesimal time separation, give the same outcome:

$$\begin{aligned}
\Psi &= \hat{\Sigma}_{ci}(\mathcal{X}; \frac{\text{measurement }}{\text{subscome } \mathcal{X};} \quad \Psi' = \mathcal{X}; \quad \text{offer mount.} \\
\psi' &= \mathcal{S}_{ci}(\mathcal{X}; \frac{\mathcal{X}_{i}}{\text{subscome } \mathcal{X}_{i}}) \quad \mathcal{X}' = \mathcal{X}_{i} \\
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\psi' &= \mathcal{X}_{i}(\mathcal{X}; \frac{\mathcal{X}_{i}}{\text{subscome } \mathcal{X}_{i}}) \quad \mathcal{X}' = \mathcal{X}_{i}(\mathcal{X}; \frac{\mathcal{X}_{i}}{\text{subscome } \mathcal{X}_{i}) \quad \mathcal{X}'$$

Su proje postvale for monent 2 sans outcome di has prob 10:12=1 x; (j#i) has prob 10:12=0.